Supplement #2

23. Refer to Fig. 20.

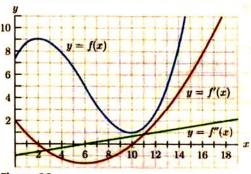


Figure 20

- (a) Looking at the graph of f'(x), determine whether f(x) is increasing or decreasing at x = 9. Look at the graph of f(x) to confirm your answer.
- (b) Looking at the values of f'(x) for $1 \le x < 2$ and $2 < x \le 3$, explain why the graph of f(x) must have a relative maximum at x = 2. What are the coordinates of the relative maximum point?
- (c) Looking at the values of f'(x) for x close to 10, explain why the graph of f(x) has a relative minimum at x = 10.
- (d) Looking at the graph of f''(x), determine whether f(x) is concave up or concave down at x = 2. Look at the graph of f(x) to confirm your answer.
- (e) Looking at the graph of f''(x), determine where f(x) has an inflection point. Look at the graph of f(x) to confirm your answer. What are the coordinates of the inflection point?
- (f) Find the x-coordinate of the point on the graph of f(x) at which f(x) is increasing at the rate of 6 units per unit change in x.

Exercises 25-36 refer to Fig. 22, which contains the graph of f'(x), the derivative of the function f(x).

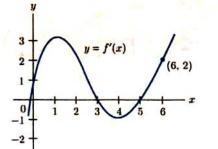


Figure 22

- 25. Explain why f(x) must be increasing at x = 6.
- **26.** Explain why f(x) must be decreasing at x = 4.
- 27. Explain why f(x) has a relative maximum at x = 3.
- **28.** Explain why f(x) has a relative minimum at x = 5.
- 29. Explain why f(x) must be concave up at x = 0.
- **30.** Explain why f(x) must be concave down at x = 2,
- **31.** Explain why f(x) has an inflection point at x = 1.
- 32. Explain why f(x) has an inflection point at x = 4.
- **33.** If f(6) = 3, what is the equation of the tangent line to the graph of y = f(x) at x = 6?

34. If f(6) = 8, what is an approximate value of f(6.5)?

$$(0-x)_{T=E-h} : = (0)_{5} \cdot 9E \quad GE \cdot E = (SE \cdot)_{5} \cdot 9E \quad E = (5 \cdot 9)_{5} \quad hE = (0-x)_{T=E-h} : \pi = (0)_{5} \cdot 9E \quad GE = (2)_{5} \cdot 9E \quad GE = ($$

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