An investor can design a risky portfolio based on two stocks, A and B. The standard deviation of return on stock A is 20% while the standard deviation on stock B is 15%. The expected return on stock A is 20% while on stock B it is 10%. The correlation coefficient between the return on A and B is 0%. The expected return on the minimum variance portfolio is approximately _____.



C. 15.00%

D. 19.41%

$$w_A = \frac{.15^2 - 0(.2)(.15)}{.15^2 + .2^2 - 2(0)(.2)(.15)} = .36$$

$$w_B = 1 - .36 = .64$$

$$E(r_P) = (.36)(.20) + (.64)(.10) = .136$$

- 2. The expected rate of return of a portfolio of risky securities is _____
 - A. the sum of the securities' covariances
 - B. the sum of the securities' variances
 - C) the weighted sum of the securities' expected returns
 D. the weighted sum of the securities' variances
- Asset A has an expected return of 15% and a reward-to-variability ratio of .4. Asset B has an expected return of 20% and a reward-to-variability ratio of .3. A risk-averse investor would prefer a portfolio using the risk-free asset and _____.



- B. asset B
- C. no risky asset
- D. can't tell from the data given
- Risk that can be eliminated through diversification is called _____ risk. 4.
 - A. unique
 - B. firm-specific
 - C. diversifiable D) all of the above

- 5. A portfolio with a 25% standard deviation generated a return of 15% last year when T-bills were paying 4.5%. This portfolio had a Sharpe measure of _____.
 - A. 0.22
 - B 0.60
 - **)** 0.42
 - D. 0.25

$$S_p = \frac{.15 - .045}{.025} = 0.42$$

- 6. A portfolio is composed of two stocks, A and B. Stock A has a standard deviation of return of 24% while stock B has a standard deviation of return of 18%. Stock A comprises 60% of the portfolio while stock B comprises 40% of the portfolio. If the variance of return on the portfolio is .0380, the correlation coefficient between the returns on A and B is ______.
 - A. 0.583 B. 0.225
 - C. 0.327
 - D. 0.128

$$.0380 = (.6)^{2}(.24)^{2} + (.4)^{2}(.18)^{2} + 2(.6)(.4)(.24)(.18)(\rho_{A,B})$$

.0380 - .020736 - 0.005184 = 0.020736
$$(\rho_{A,B})$$

$$\rho_{A,B} = 0.582562$$