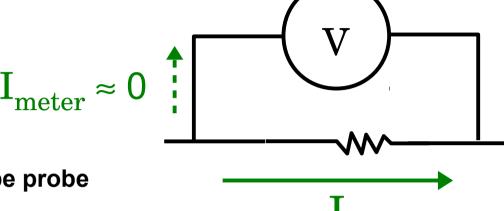
Lab 2: AC Circuits and Oscilloscope

Ideal meters

VOLTMETER:



EXAMPLE: 10X oscilloscope probe

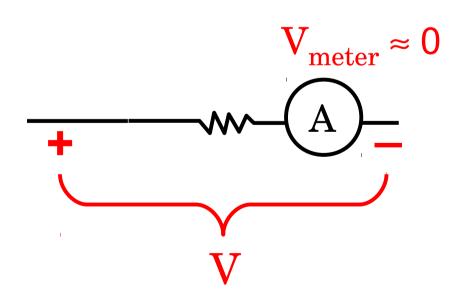
Ideal meters

VOLTMETER:

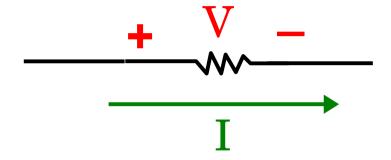
 $I_{meter} \approx 0$

EXAMPLE: 10X oscilloscope probe

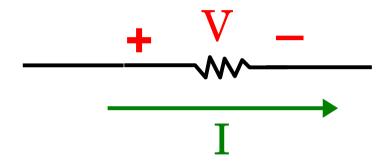
AMMMETER:



Power Dissipation

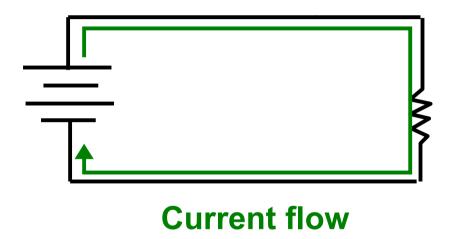


Power Dissipation



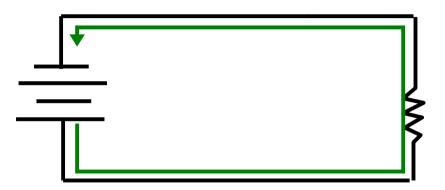
Power dissipated
$$=\frac{V^2}{R}=I^2R$$





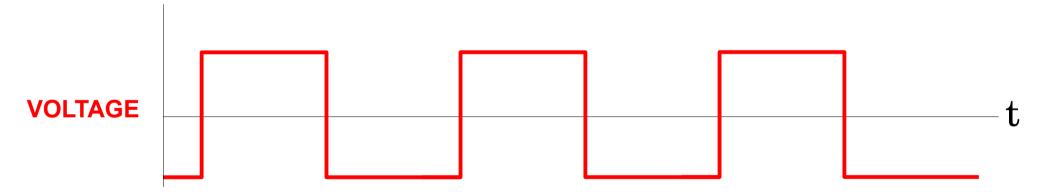


Current flow



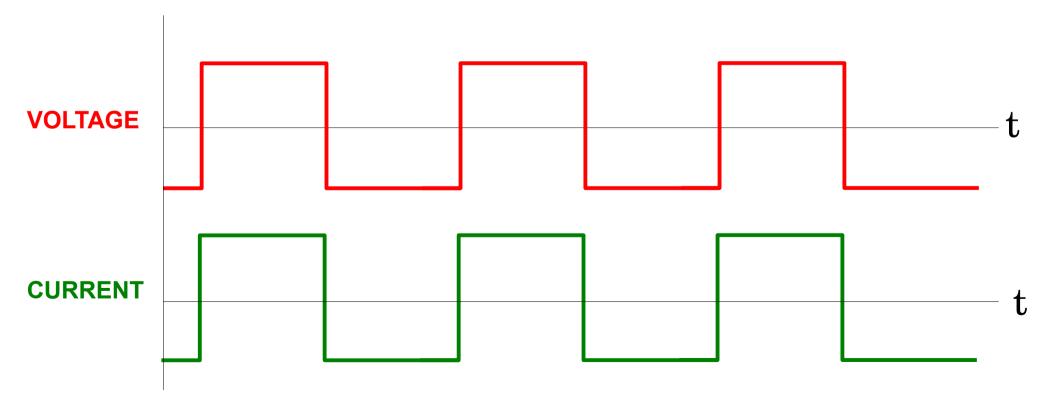
Square wave source



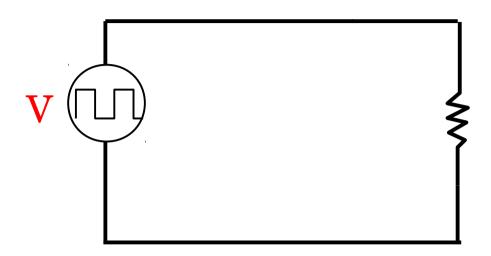


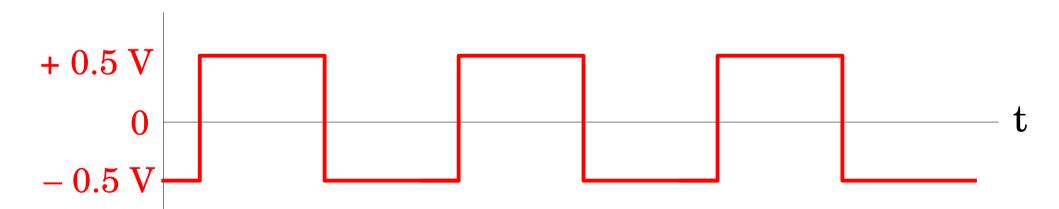
Square wave source



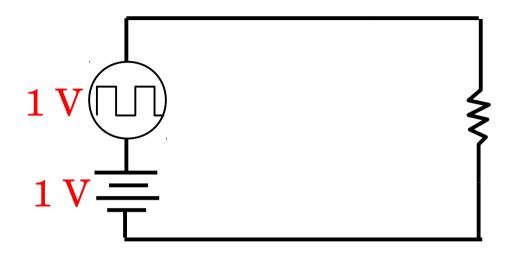


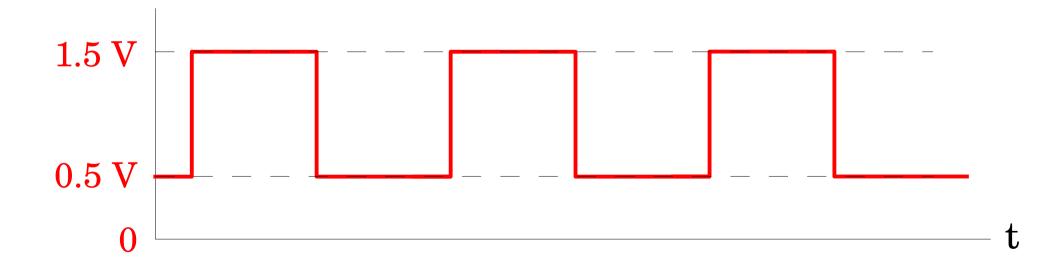
Square wave source +



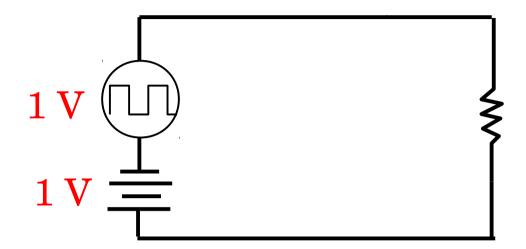


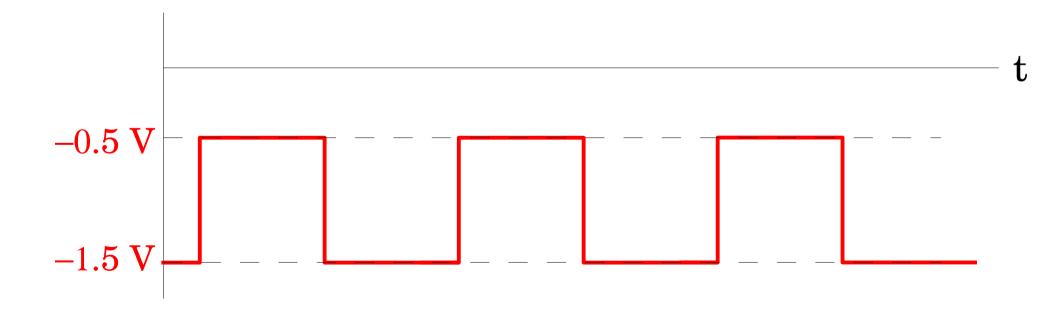
Square wave source + voltage offset



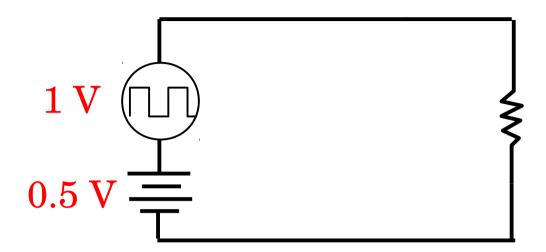


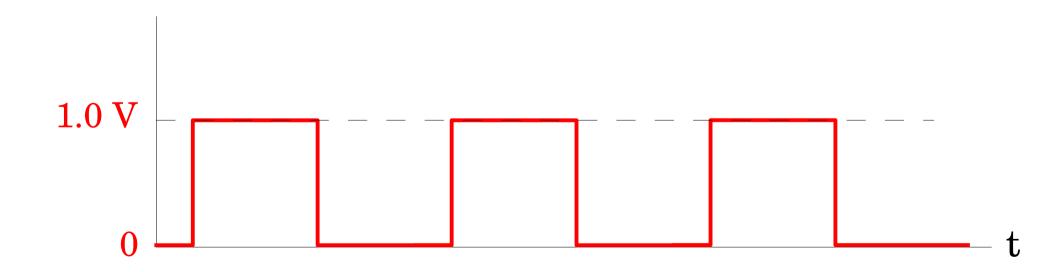
Square wave source + voltage offset





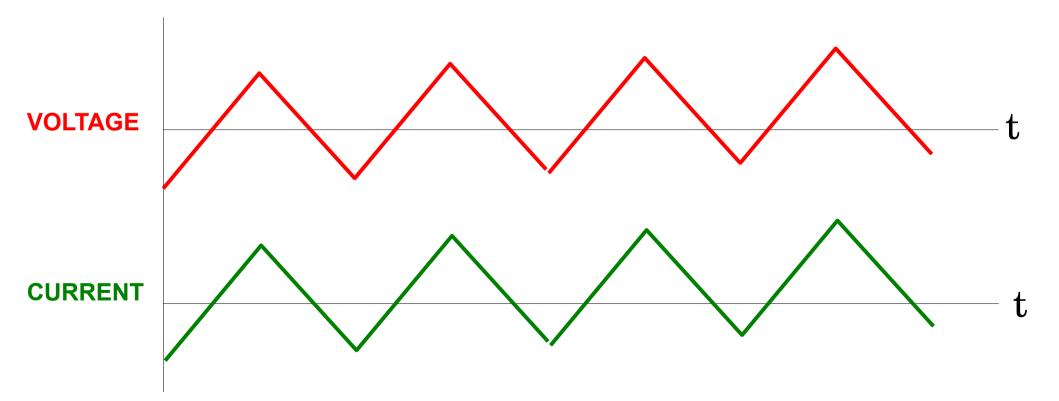
Square wave source + voltage offset



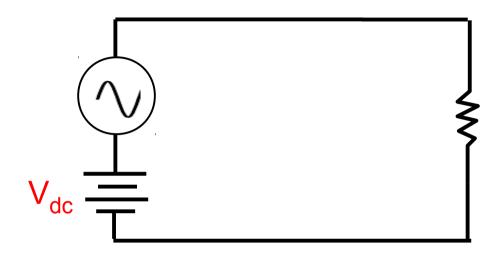


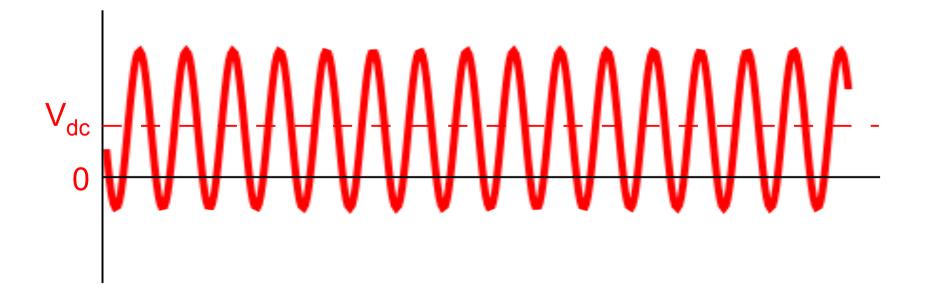
Triangle wave source



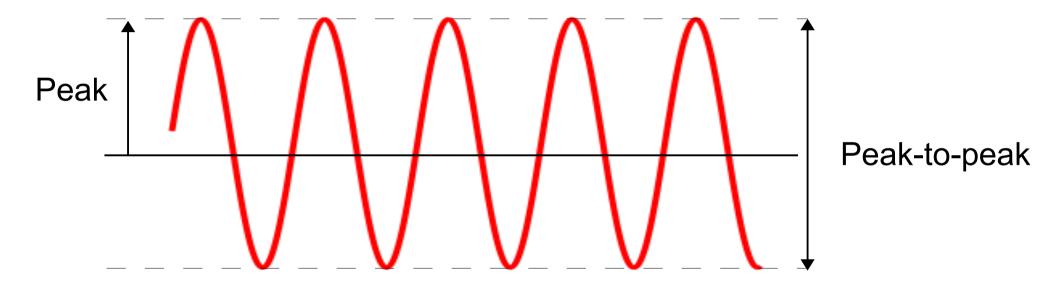


Sinusoidal wave source + dc offset



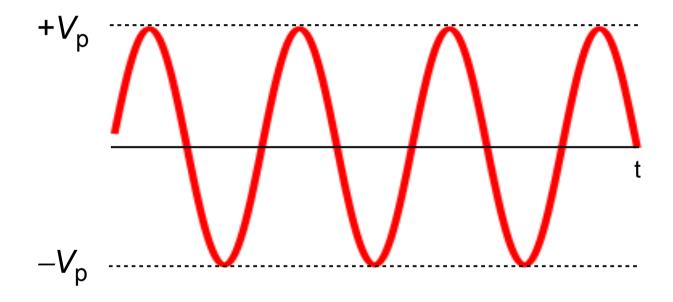


Characterizing an AC wave

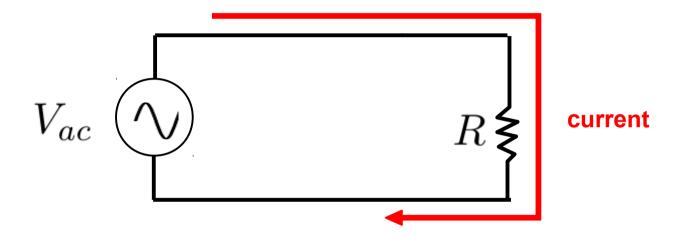


The average voltage of a pure sine wave is identically zero.

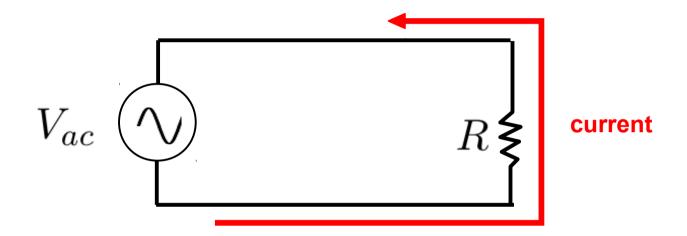
$$V(t) = V_{p} \sin(\omega t)$$



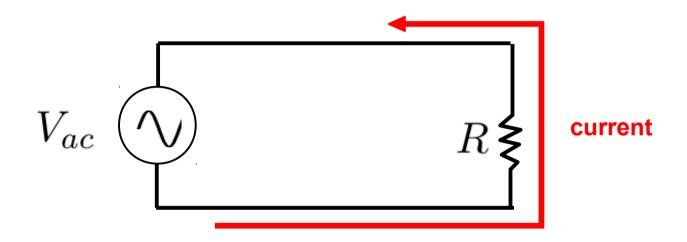
We know that an AC voltage can deliver plenty of power to a load



We know that an AC voltage can deliver plenty of power to a load

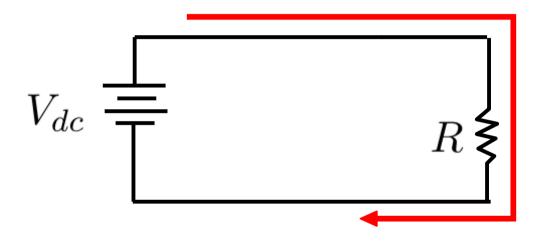


We know that an AC voltage can deliver plenty of power to a load



How do we calculate this power if the average voltage and current is zero?

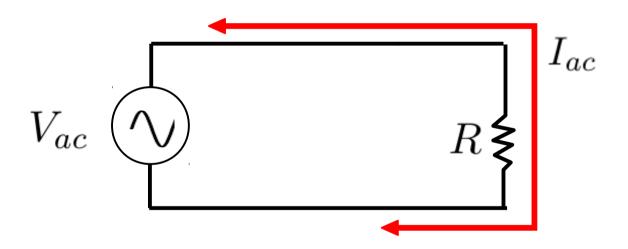
This is easy in a DC circuit: Use Ohm's Law



POWER =
$$\frac{V_{dc}^2}{R}$$

Power dissipated in an AC circuit is time dependent:

$$P(t) = V_{ac}I_{ac} = \frac{V_{ac}^2}{R}$$



What is the energy delivered in **one period**? Temporally integrate the power over one period:

$$\frac{1}{T} \int_0^T P(t)dt = \frac{1}{TR} \int_0^T V_p^2 \sin(\omega t)^2 dt = \frac{V_p^2}{2R}$$

AC power dissipation =
$$\frac{V_p^2}{2R}$$

DC power dissipation =
$$\frac{V_{dc}^2}{R}$$

AC voltage producing power dissipation equivalent $V_{RMS} = \frac{V_p}{\sqrt{2}}$

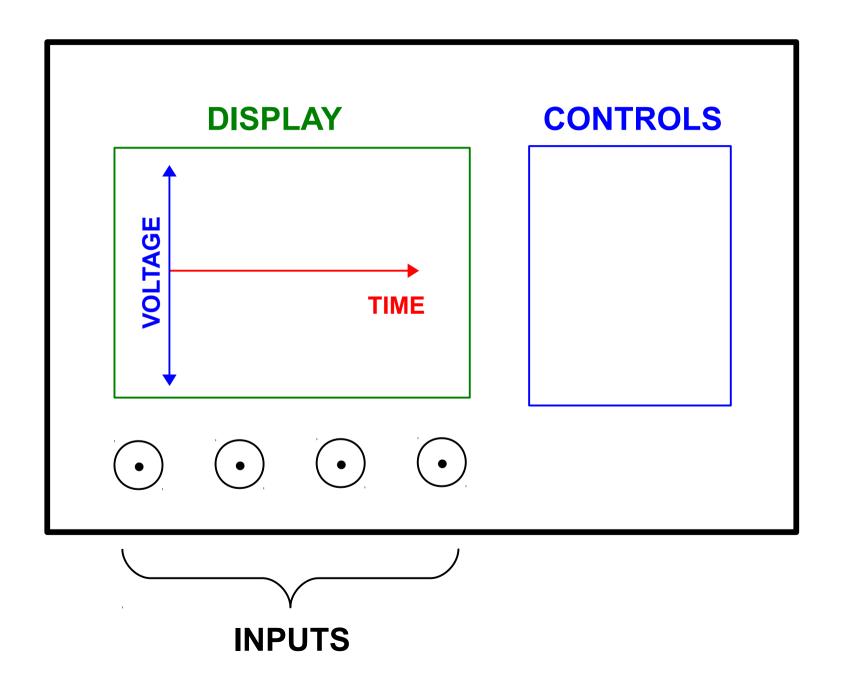
$$V_{RMS} = \frac{V_p}{\sqrt{2}}$$

- An RMS measurement assumes a stable, periodic signal
- Characterized by a single value of voltage, current
- Measured with a multimeter or oscilloscope

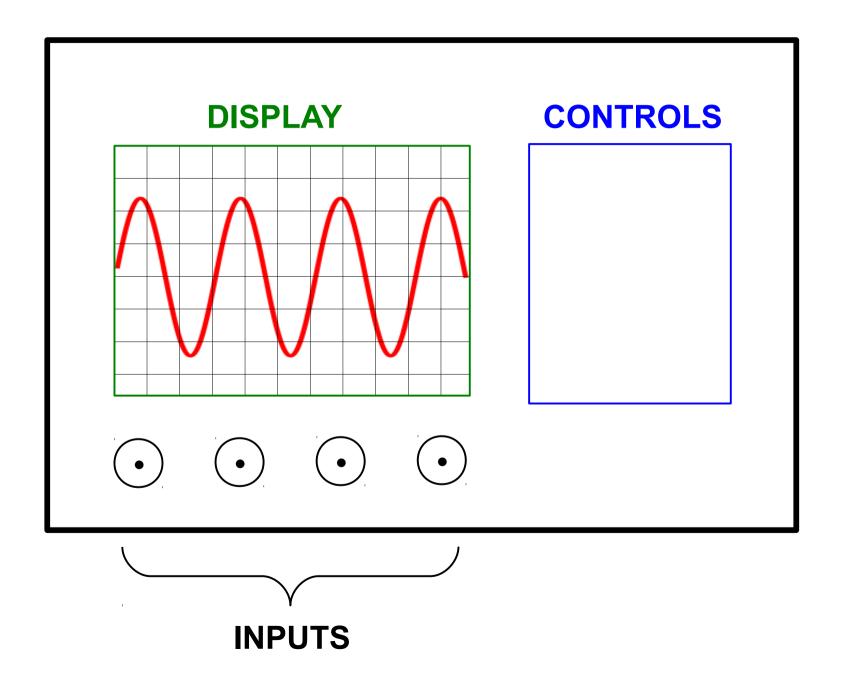
The situation is often not that convenient!



OSCILLOSCOPE



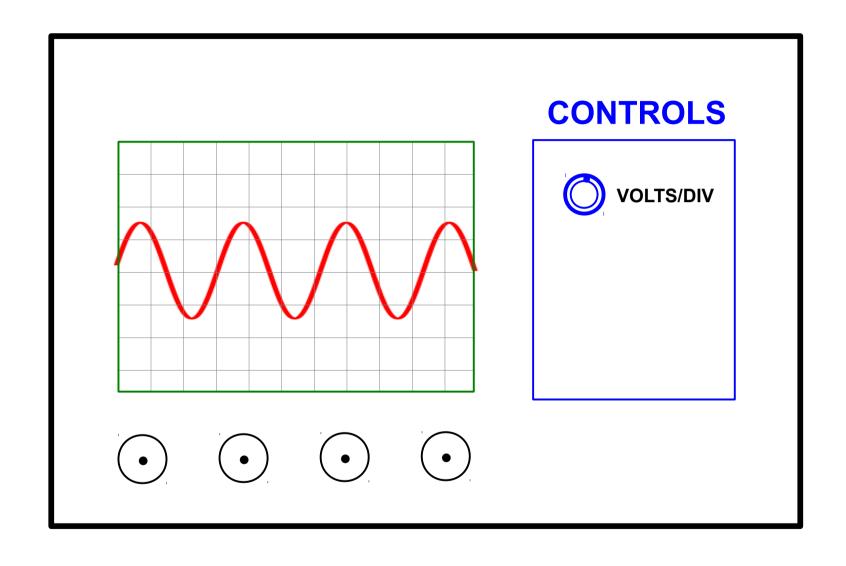
OSCILLOSCOPE

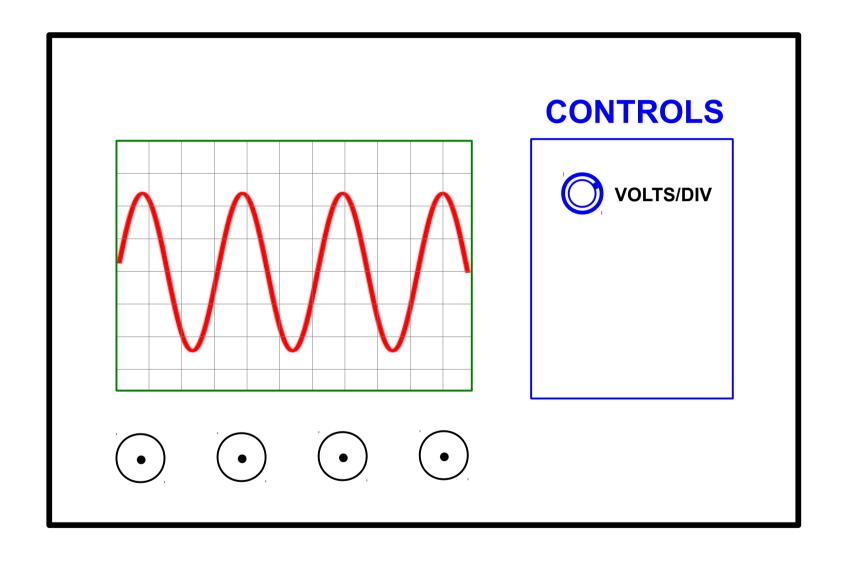


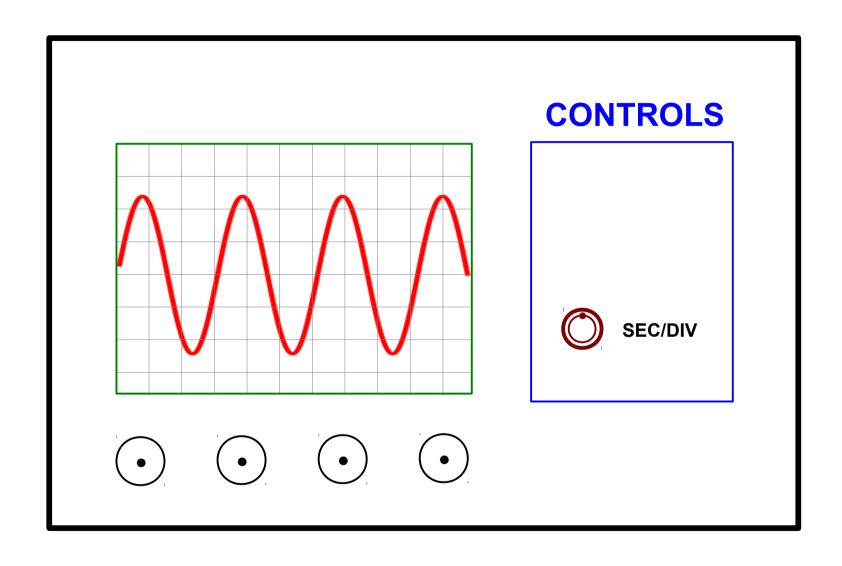
ANALOG: Cathode ray tube, swept electron beam

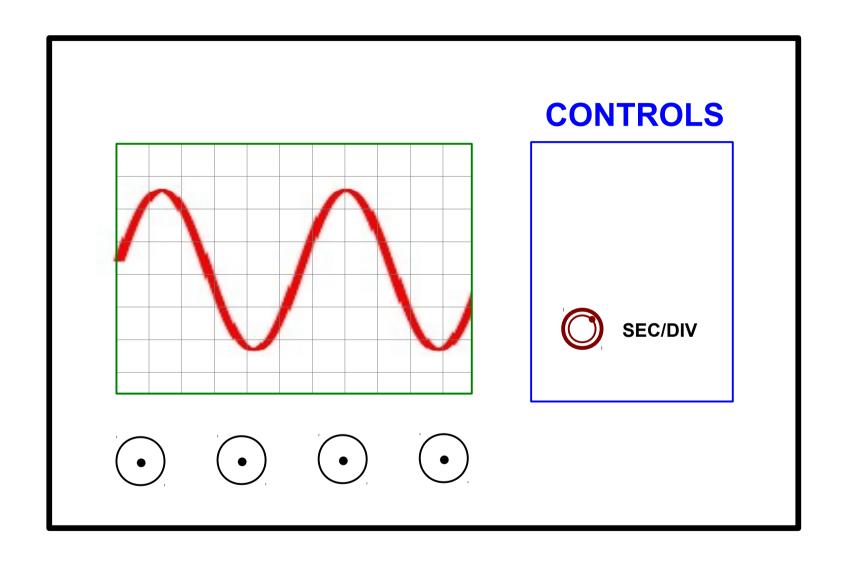
DIGITAL: A/D converter, LCD display

Although physical operation is completely different, controls are nearly identical

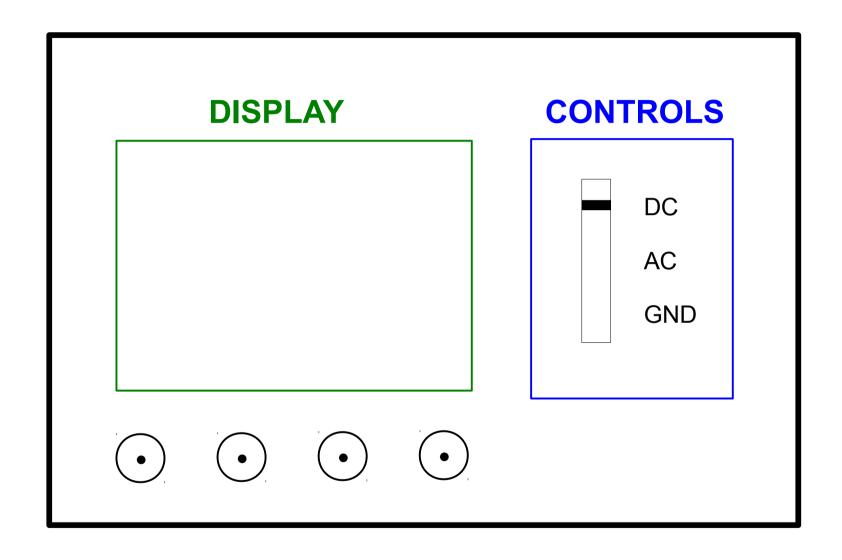




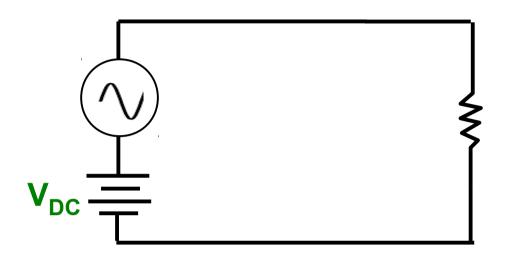


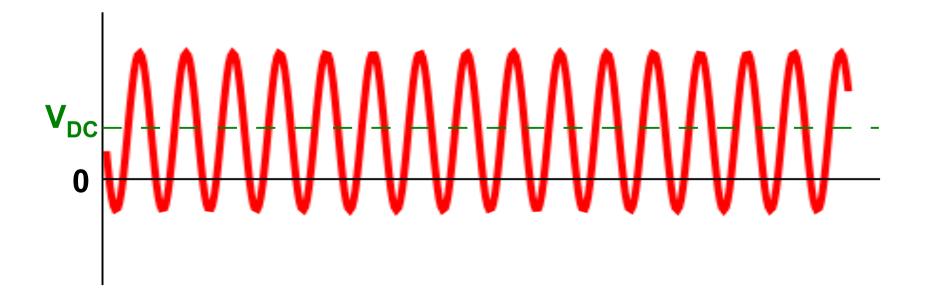


DC coupling, AC coupling, and Ground

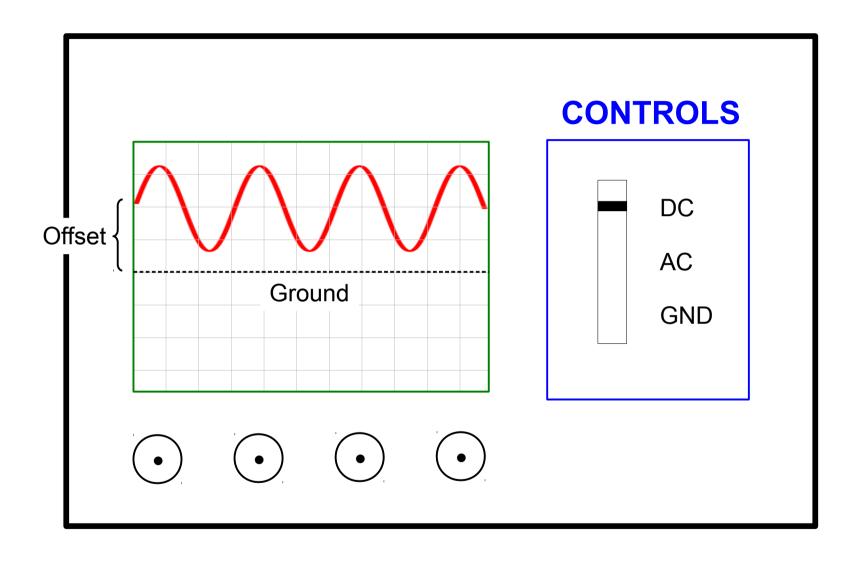


EXAMPLE: Sinusoidal wave source + DC offset

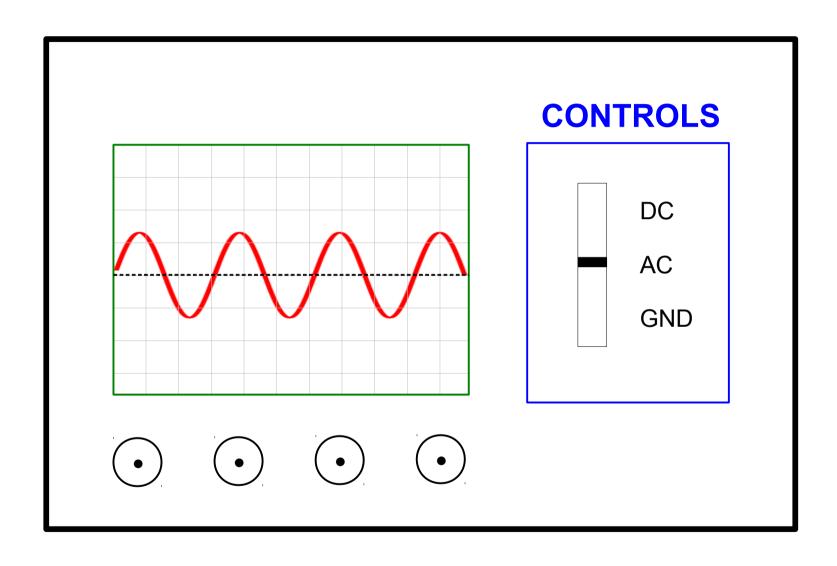




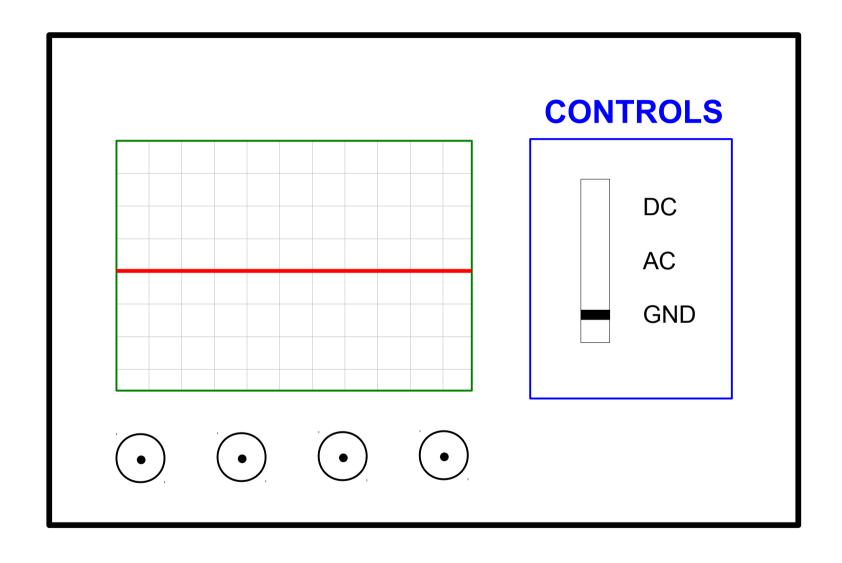
DC COUPLING



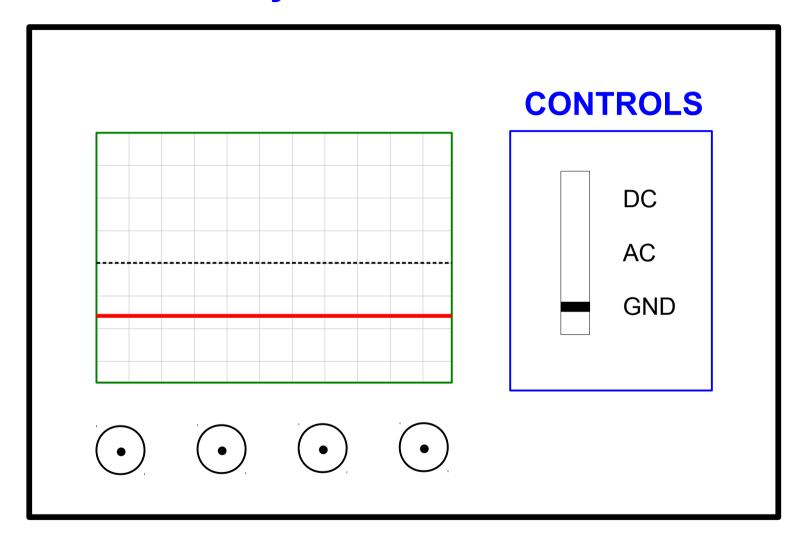
AC COUPLING



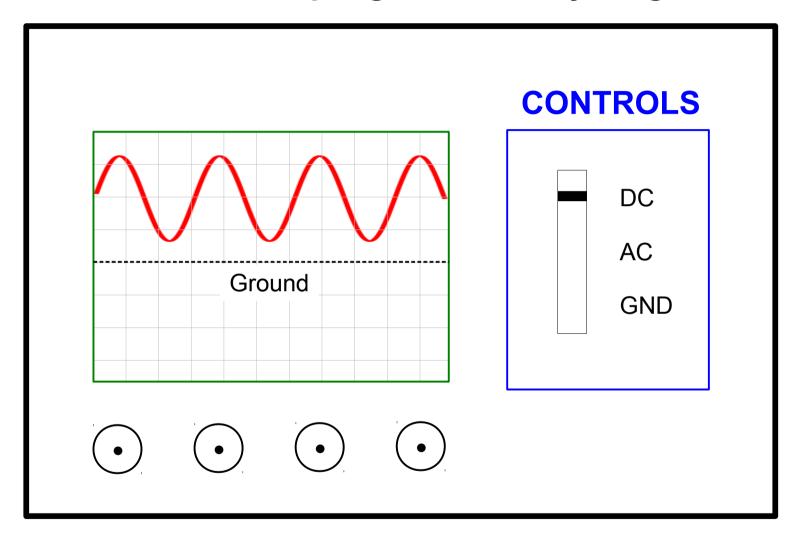
GROUND: Defines location of 0 Volts



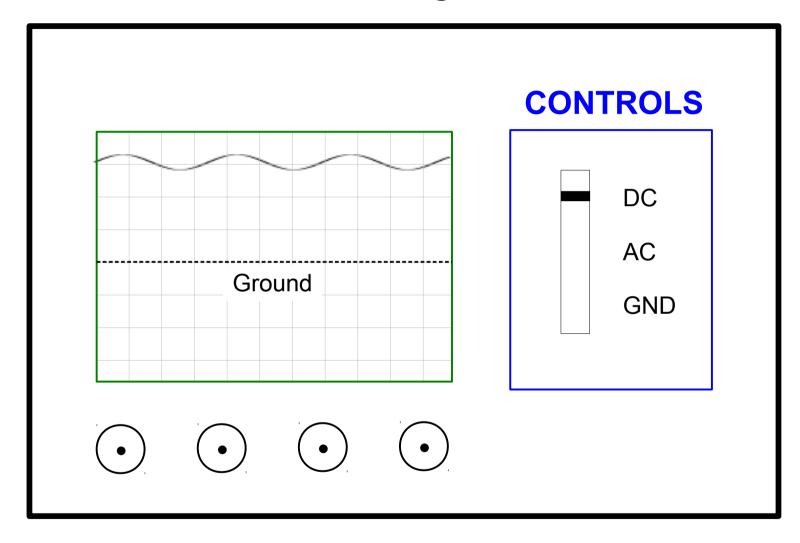
GROUND can be positioned at any convenient level



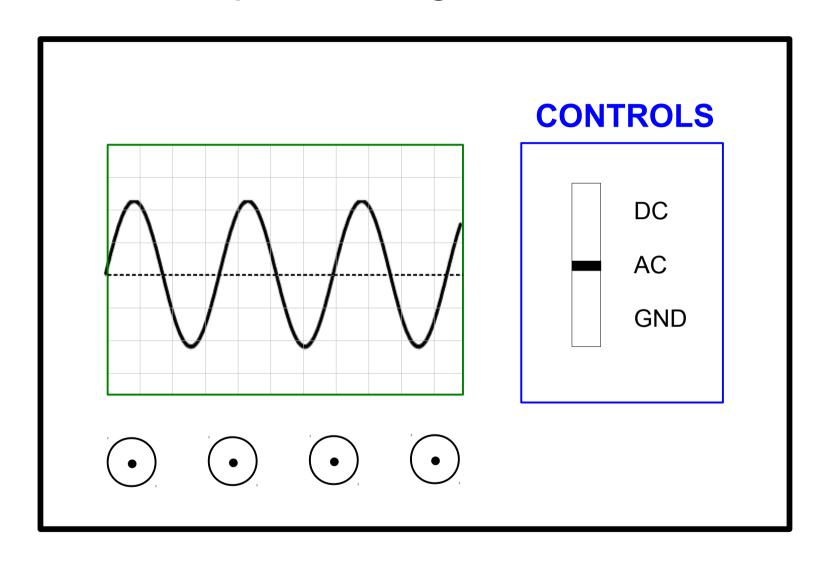
Why bother with AC coupling when DC coupling shows everything?



Often we have very weak modulation of a DC signal



AC couple and change the vertical scale



TRIGGERING

Auto: Scope gives continually updated display

Normal: User controls when the slope triggers; Level, Slope

Trigger source: Channel 1, Channel 2, etc

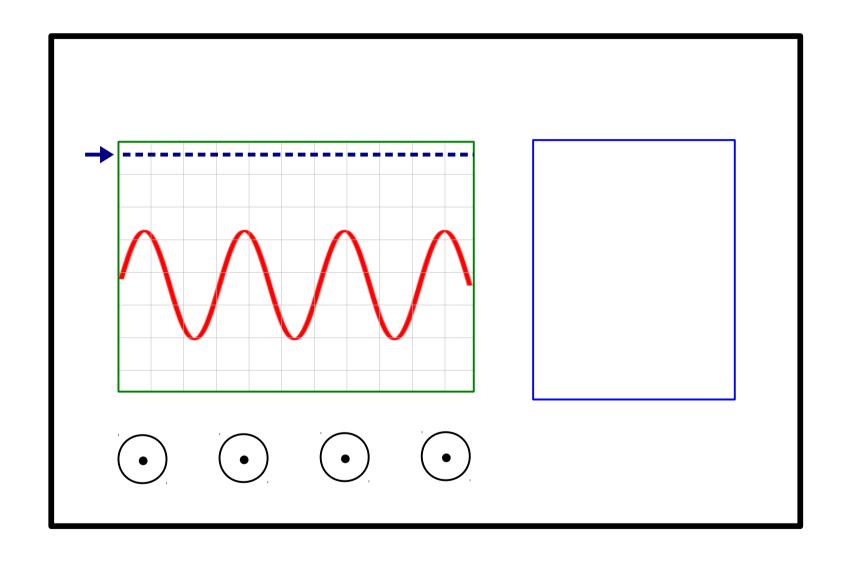
Line: Triggers on 60 Hz AC

Single event

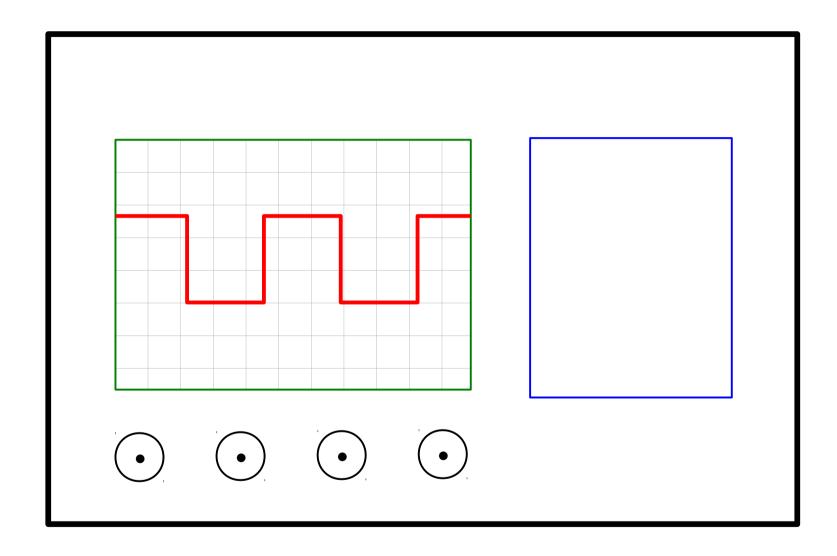
External

Use Auto-Set only when all else fails!

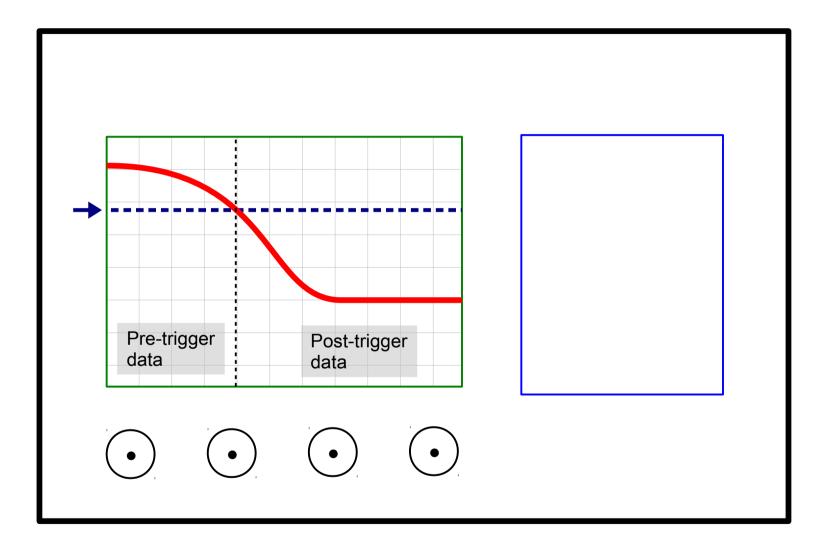
TRIGGER LEVEL

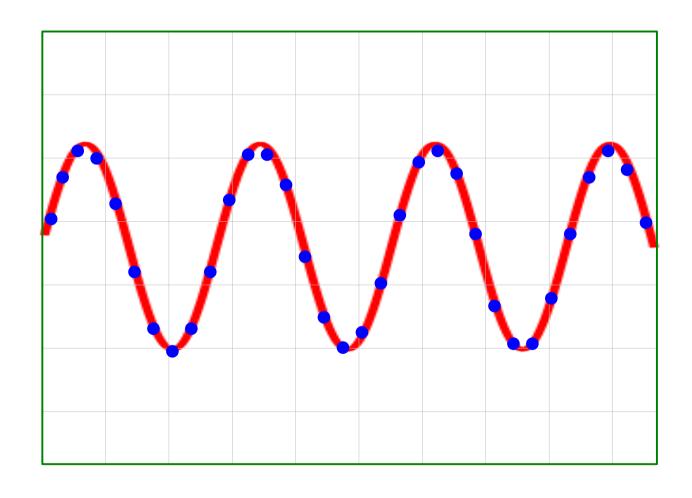


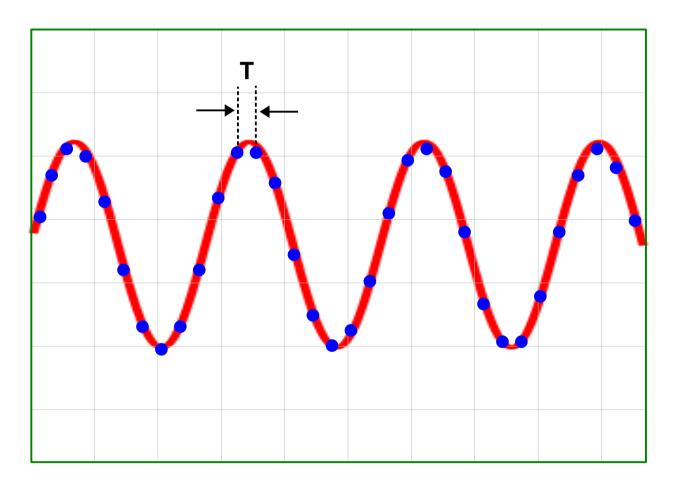
Example: Measure fall time of square wave



SOLUTION: Trigger on negative slope

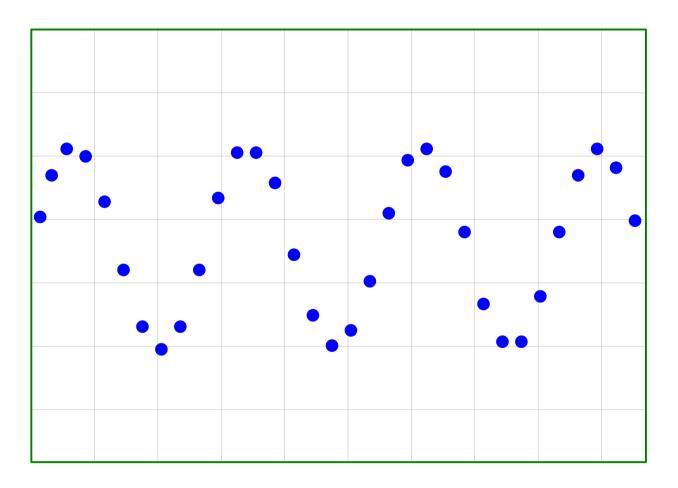






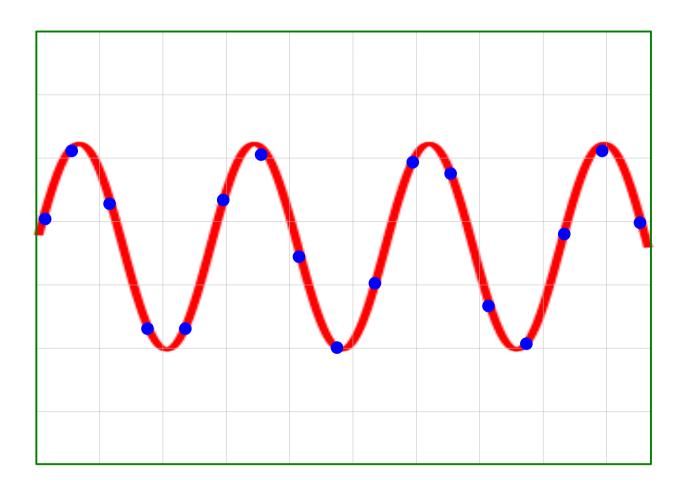
Sample spacing: **T** (sec)

Sampling bandwidth = 1 / **T** (samples/sec)

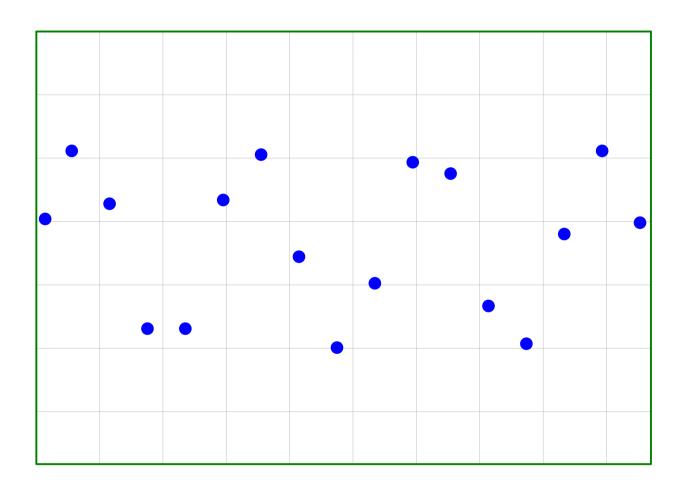


Sample spacing: **T** (sec)

Sampling bandwidth = 1 / **T** (samples/sec)



Reduce sample bandwidth $2x \implies$ Increase period 2x



Reduce sample bandwidth $2x \implies$ Increase period 2x