

ECE 523/421 – Analog Electronics

Lecture 16: Frequency Response: Low-frequency Response

Payman Zarkesh-Ha

Office: ECE Bldg. 230B

Office hours: Tuesday 2:00-3:00PM or by appointment

E-mail: pzarkesh@unm.edu

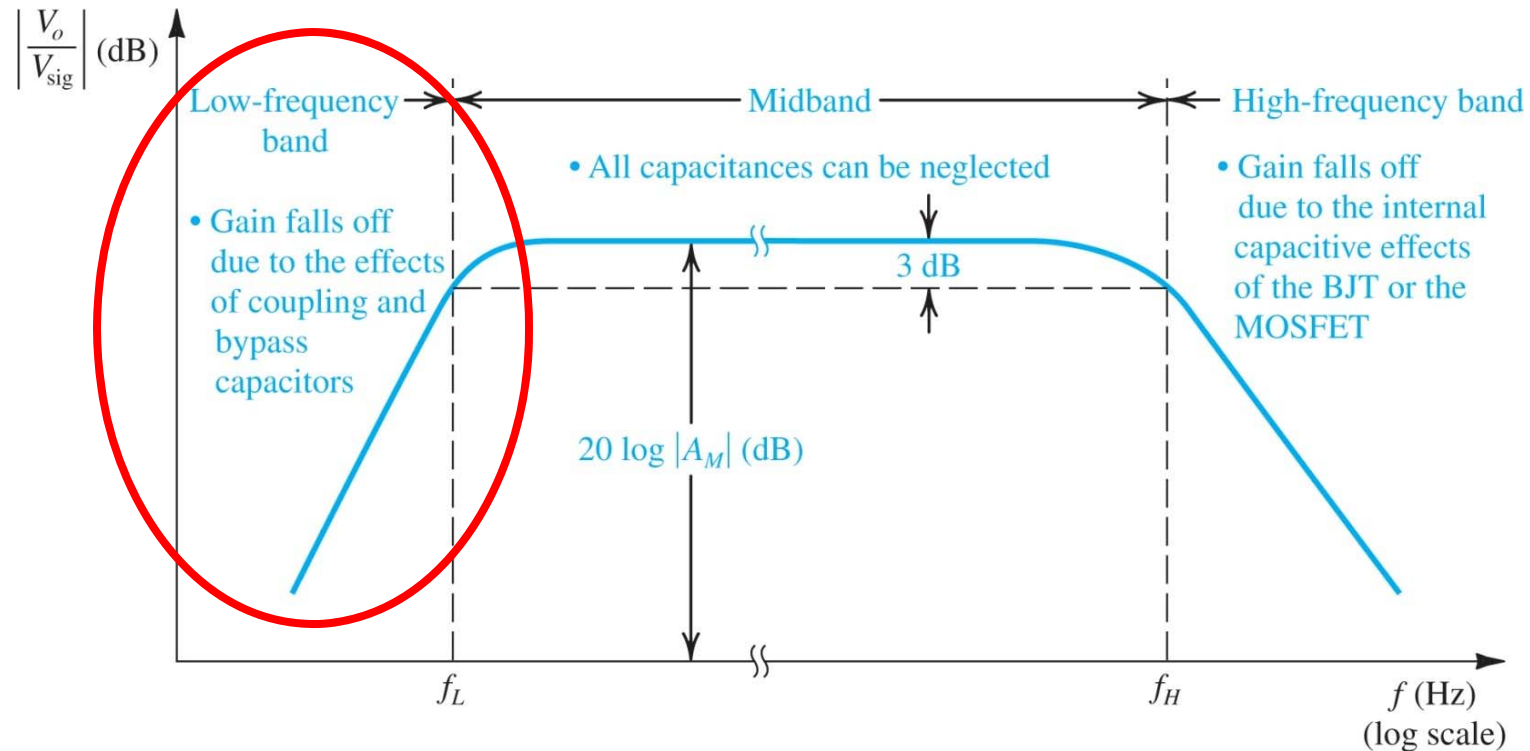
Review of Last Lecture

- ☐ **Differential Gain of Active-Loaded MOS Pair**
- ☐ **Common Gain of Active-Loaded MOS Pair**
- ☐ **CMRR of Active-Loaded MOS Pair**
- ☐ **Differential Gain of Active-Loaded BJT Pair**
- ☐ **Common Gain of Active-Loaded BJT Pair**
- ☐ **CMRR of Active-Loaded BJT Pair**
- ☐ **Examples: Multistage Differential Amplifier**

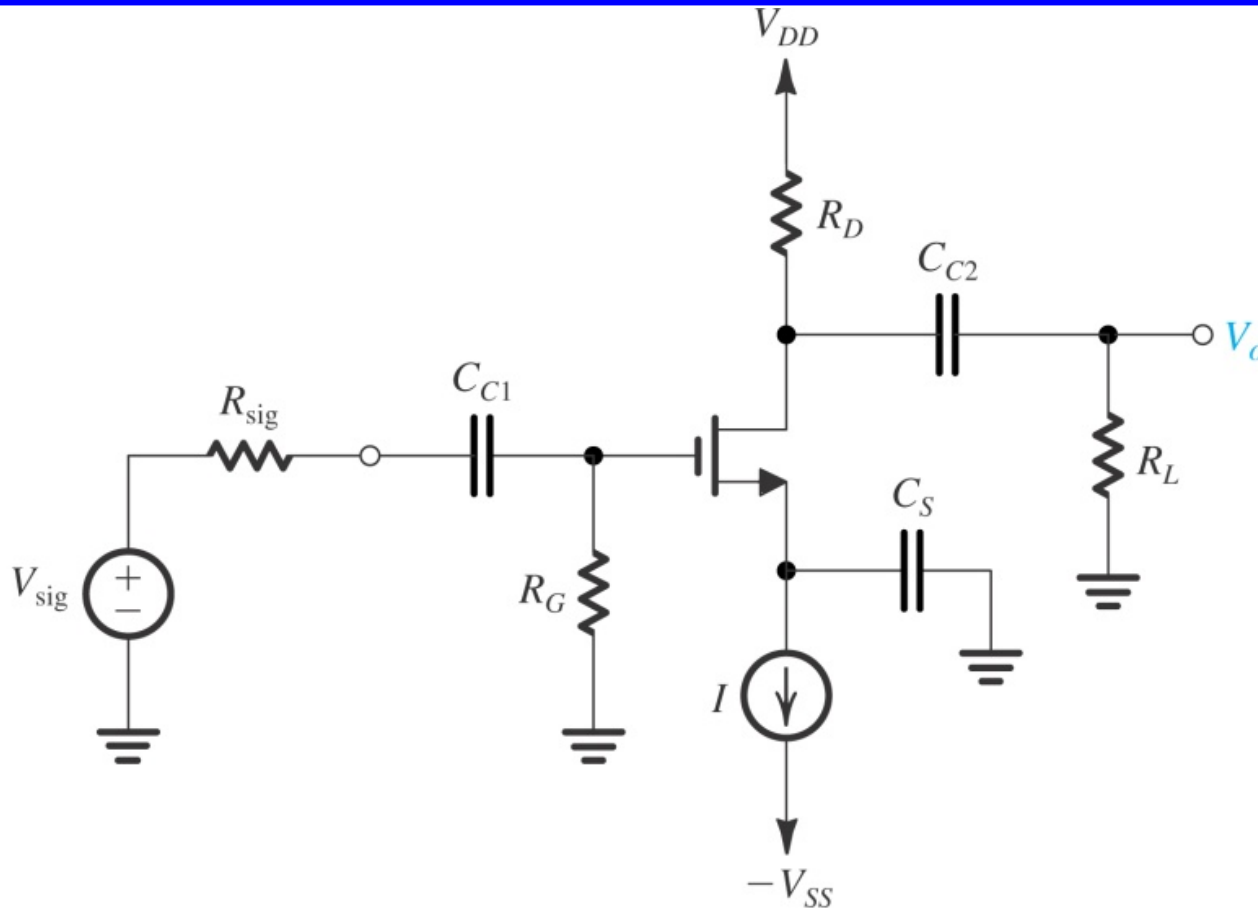
Today's Lecture

- ☐ Estimation of lower 3dB frequency in CS amplifier
- ☐ Estimation of lower 3dB frequency in CE amplifier

Frequency Response of a typical Amplifier

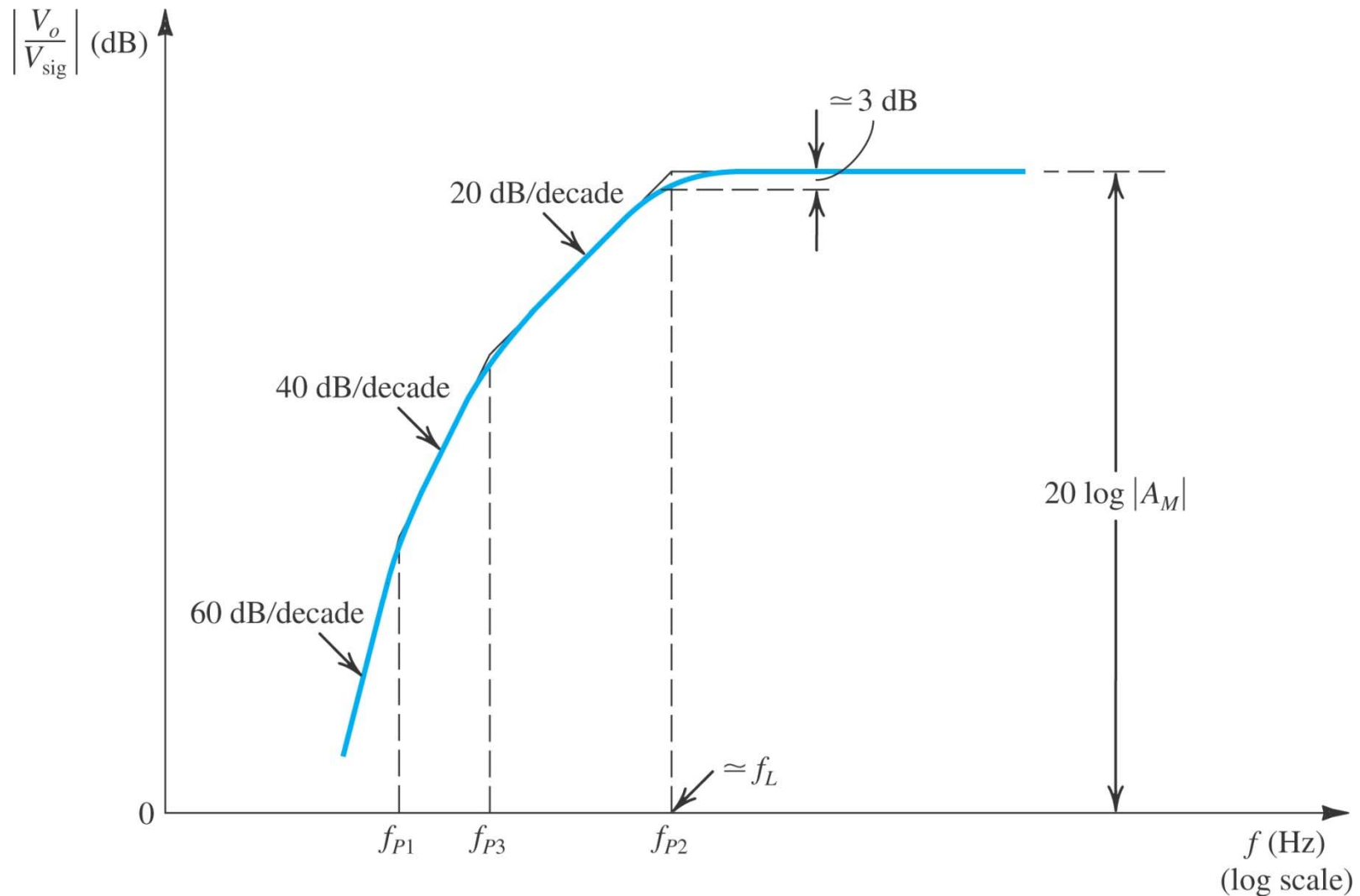


A Typical CS Amplifier: Estimation of Poles

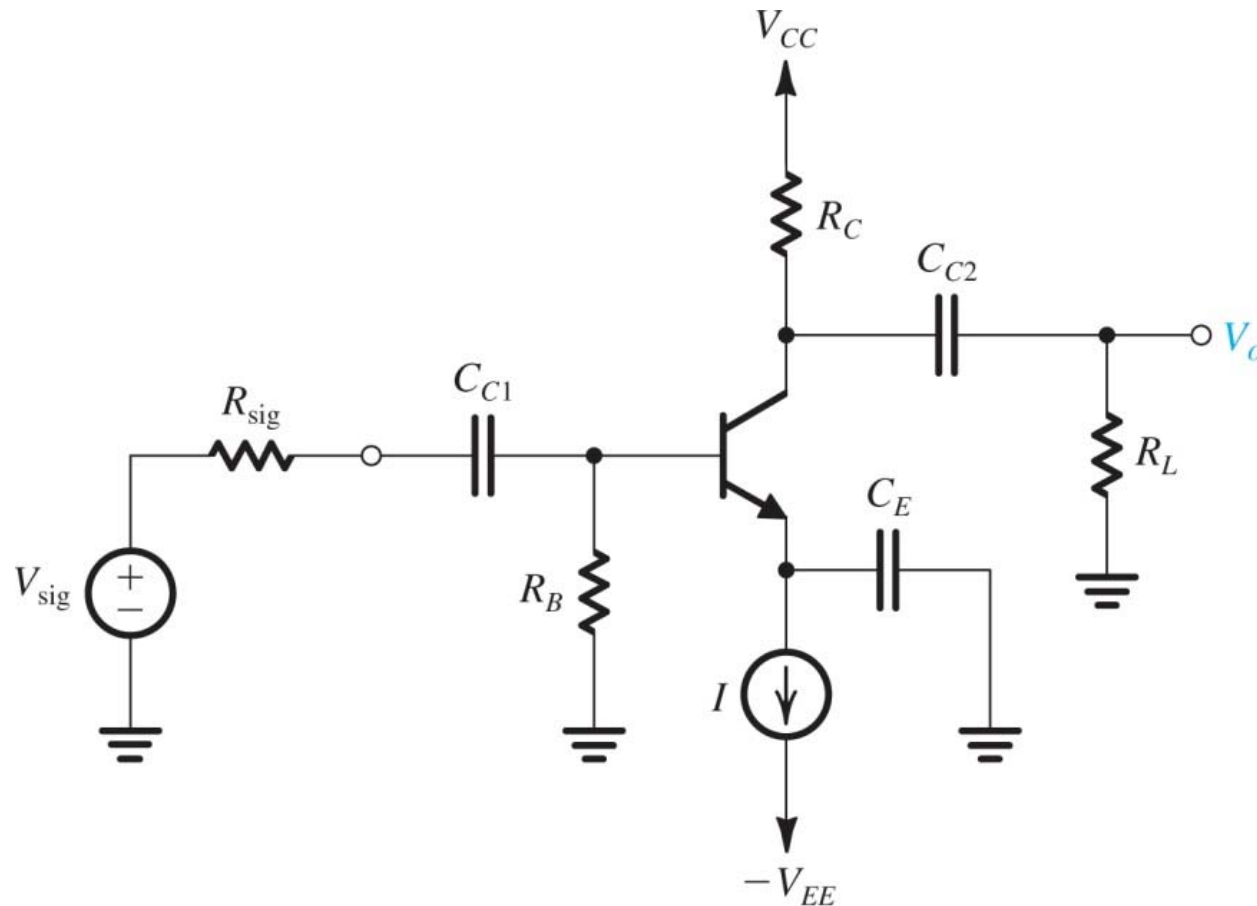


$$\frac{v_o}{v_{sig}} = - \left(\frac{R_G}{R_G + R_{sig}} \right) \left[g_m (R_D \parallel R_L) \right] \left(\frac{s}{s + \omega_{p1}} \right) \left(\frac{s}{s + \omega_{p2}} \right) \left(\frac{s}{s + \omega_{p3}} \right)$$

Low-frequency Magnitude Response of CS



A Typical CE Amplifier: Estimation of Poles



$$\frac{v_o}{v_{sig}} \approx - \left(\frac{R_B \parallel r_\pi}{R_B \parallel r_\pi + R_{sig}} \right) \left[g_m (R_C \parallel R_L) \right] \left(\frac{s}{s + \omega_{p1}} \right) \left(\frac{s}{s + \omega_{p2}} \right) \left(\frac{s}{s + \omega_{p3}} \right)$$

Lower 3dB frequency Estimation

- ❑ Usually we design the circuits such that one pole becomes dominant (10x larger than others)
- ❑ This is the concept of dominant pole
- ❑ The lower 3dB frequency is simply the highest frequency of the poles
- ❑ How do we select the values of decoupling capacitance?
 - Use the port with minimum impedance for dominant pole
 - Design other poles to be 10X smaller than the dominant pole
- ❑ IF the poles are close, then the lower 3db frequency can be approximated using short-circuit time constant technique shown below:

$$f_L \approx f_{P1} + f_{P2} + f_{P3} = \frac{1}{2\pi} \sum_i \frac{1}{R_{is} C_i}$$